



# Crashworthiness Prediction Of Composite Vehicle Structures

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# Outline

- Composite crashworthiness, what can we predict?
- Past experience
- Recent progress
- Conclusion and outlook

# Crashworthiness Prediction of Composite Structures

Can we predict the crashworthiness performance of composite structures?

2014 Corvette C7



carbon-fiber: hood (inner and outer) and roof panel; SMC: quarters, doors, hatch; carbon nano-composite floor pan.

Al chassis

# Crashworthiness Prediction of Composite Structures

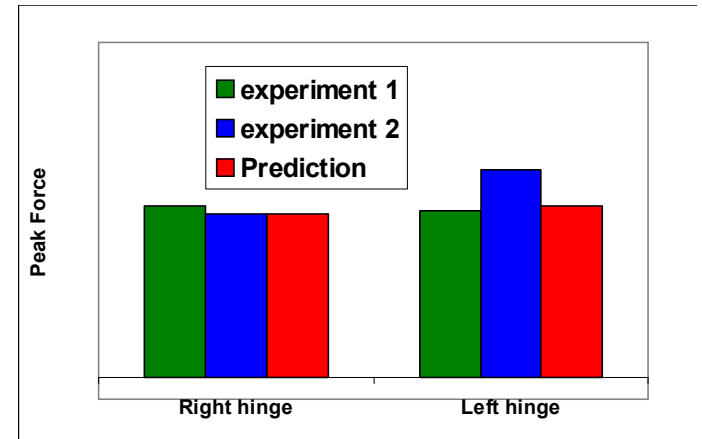
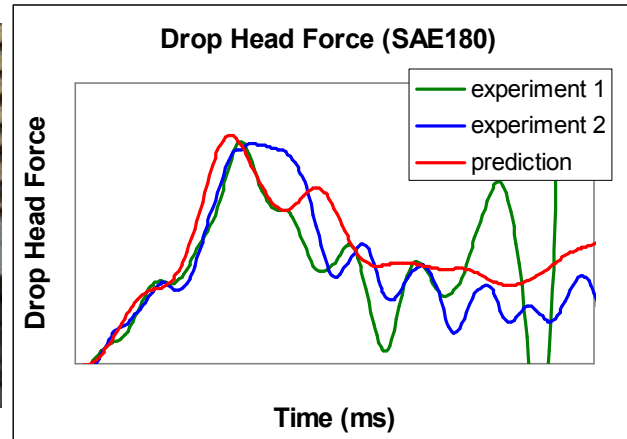
Body panels



Primary energy absorbing structures



# Predictions Of Composite Body Panels



- The modeling method for composite hood was established in the design of a different vehicle.
- The design, iterations, and material selection were evaluated by FEA only.
- The predicted response agreed well with a test conducted later.
  - Existing composite models are sufficient to predict the body panels.

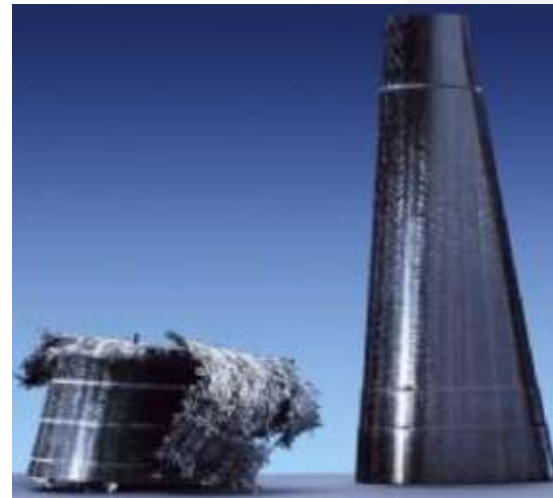


# Composite Crashworthiness, What Can We Predict?

- Body panels ✓
- Primary energy absorbing structures ?



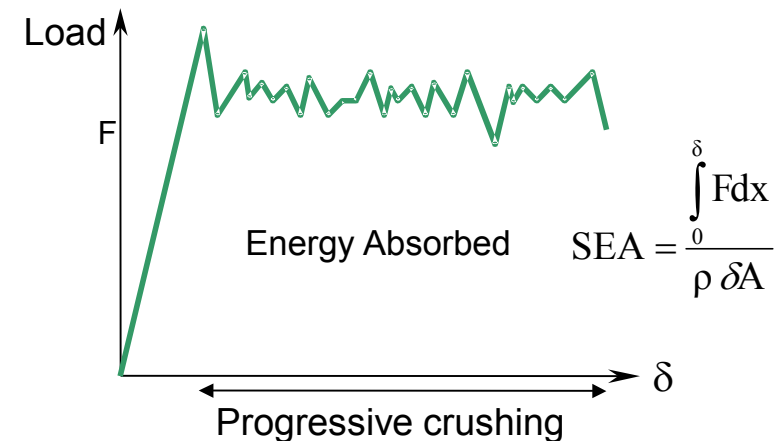
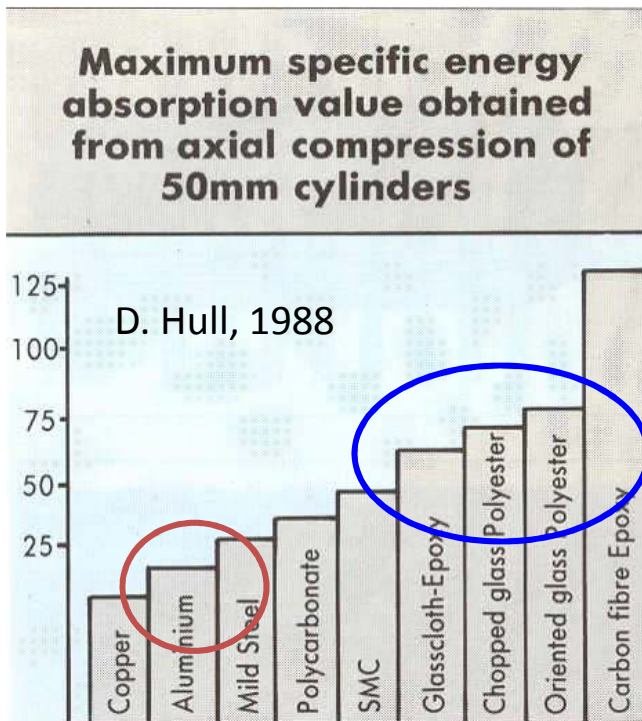
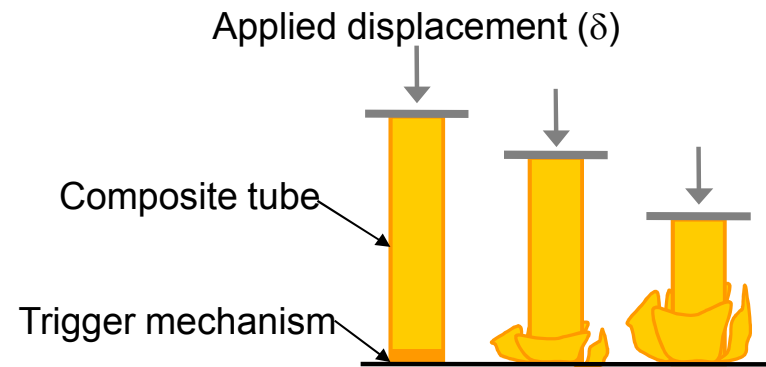
Photo courtesy: ENGENUITY





# Axial Crush of Tubes

- A measure of the specific energy absorption (SEA) of a material
- A benchmark problem to gauge the capability to model primary energy absorbing structures



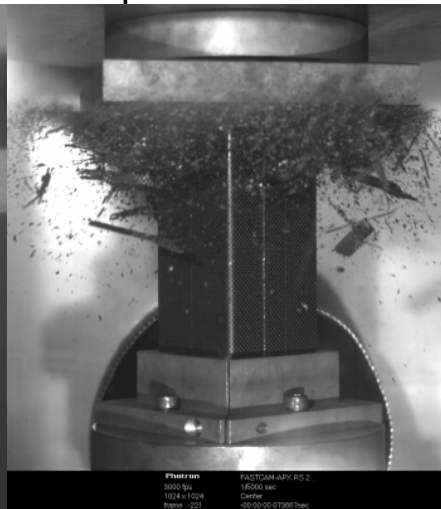


# Challenge In Modeling Composite Primary Energy Absorbing Structures

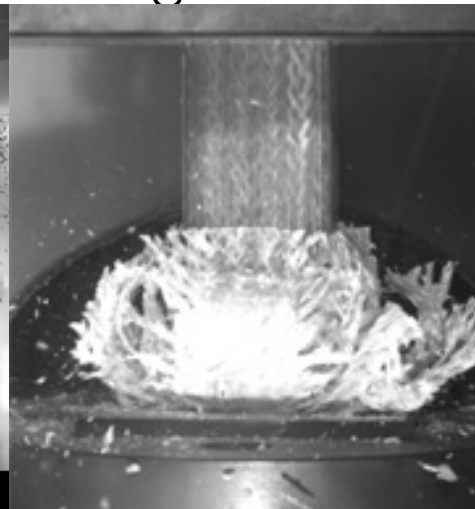
- Extensive failure, resin pulverize, fiber rupture, delamination...
- Require to model the behavior much beyond the failure criterion
- Require experimental techniques to characterize the properties of composites with damage



DP steel tube



PW carbon composite



Braided carbon composite



Kevlar composite

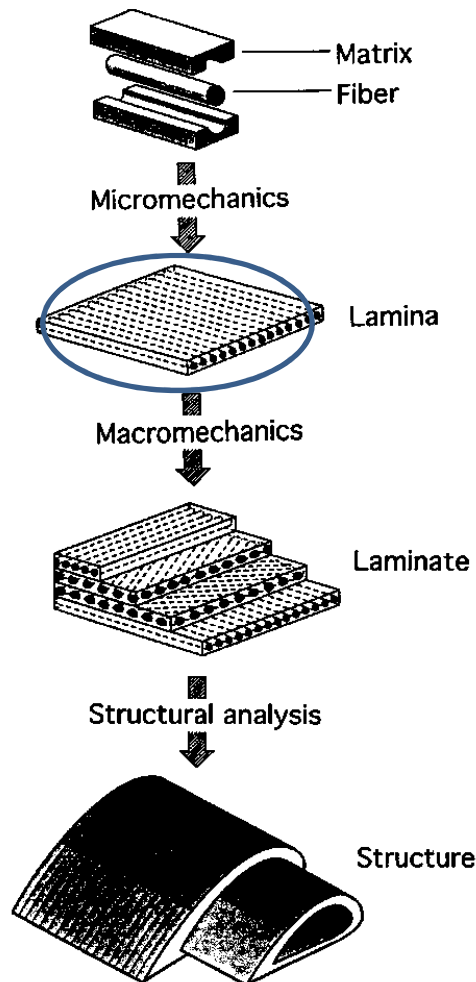
Photo courtesy: A. Browne

Photo courtesy: M.Starback

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# Composite Material Models In Commercial Codes

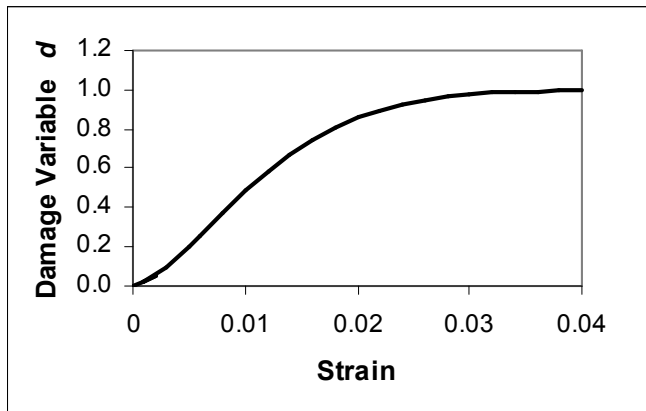
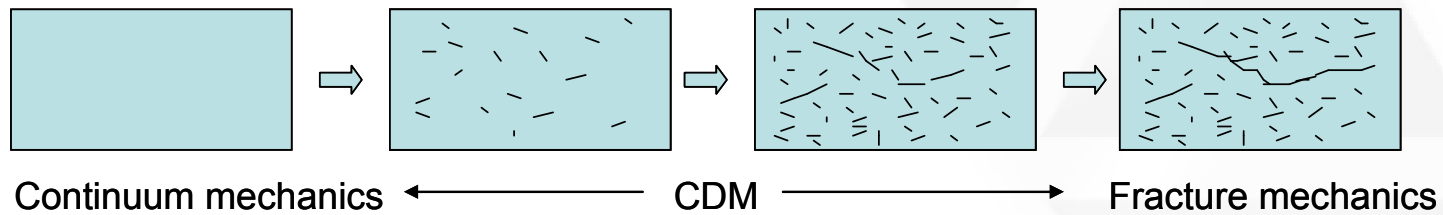


Daniel and Ishai,  
Engineering Mechanics of  
Composite Materials, 1994.

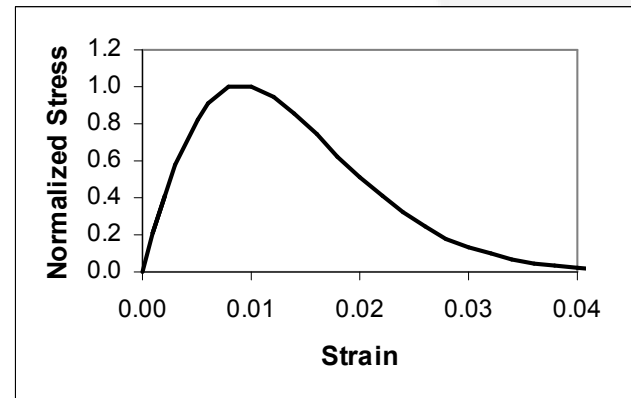
Phenomenological models with homogenized properties

- Orthotropic solid
  - Brick (solid) element  
 $E_1, E_2, E_3, G_{12}, G_{23}, G_{31}, \nu_{12}, \nu_{23}, \nu_{31}$
  - Shell (plate)  $E_1, E_2, G_{12}, \nu_{12}$
- Failure criteria
- Property degradation beyond failure
  - Progressive failure models
  - Damage mechanics models

# Continuum Damage Mechanics (CDM) Model

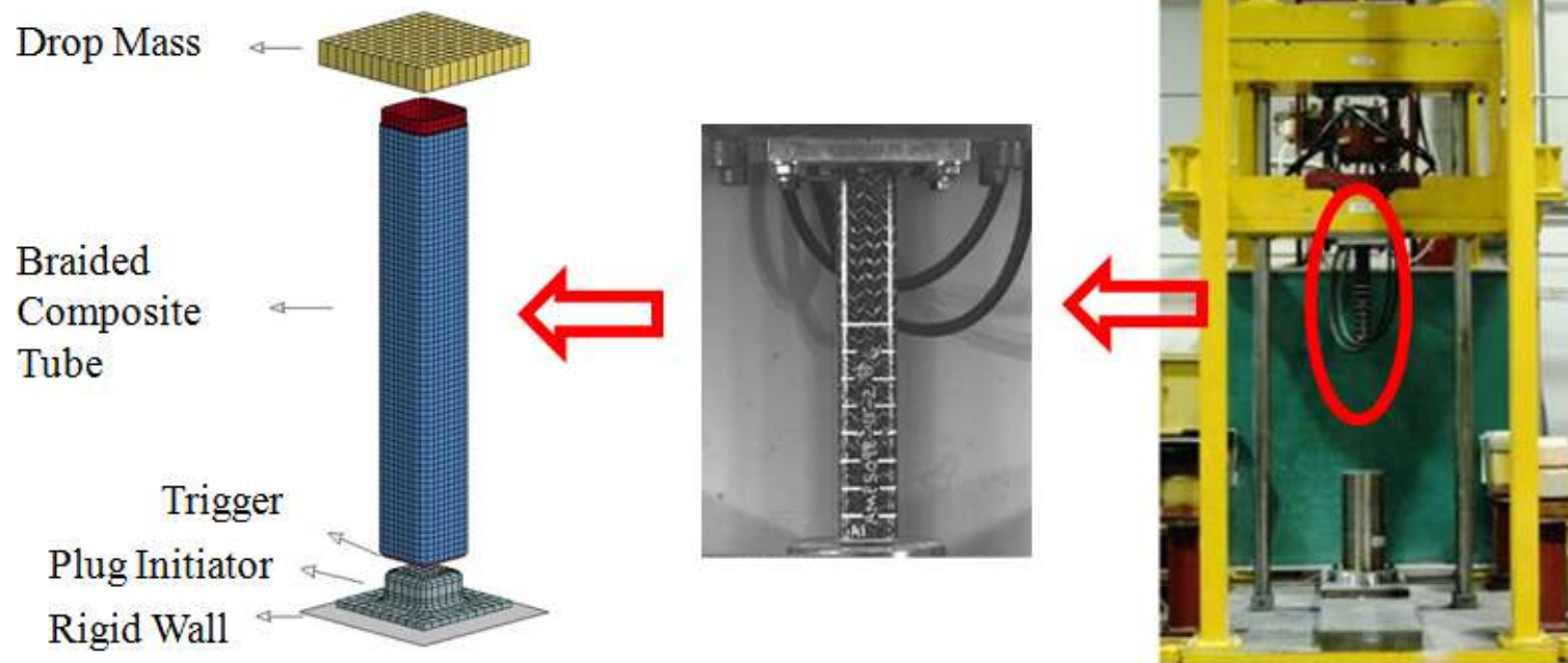


$$d = 1 - \exp\left(-\frac{1}{me} \left(\frac{\varepsilon}{\varepsilon_f}\right)^m\right)$$



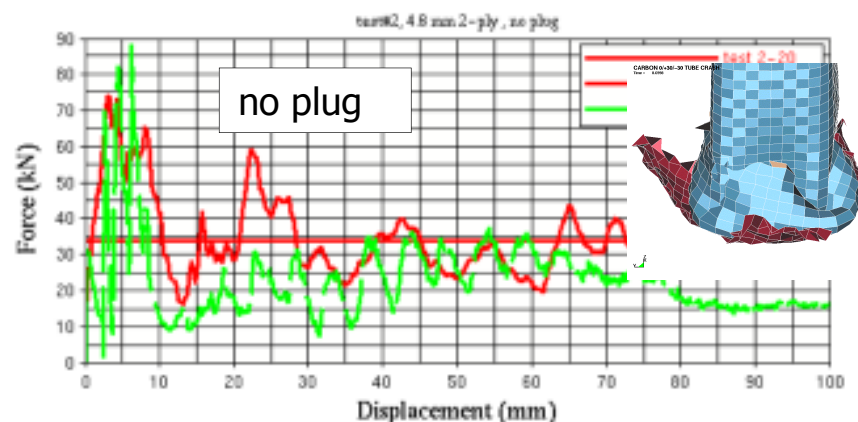
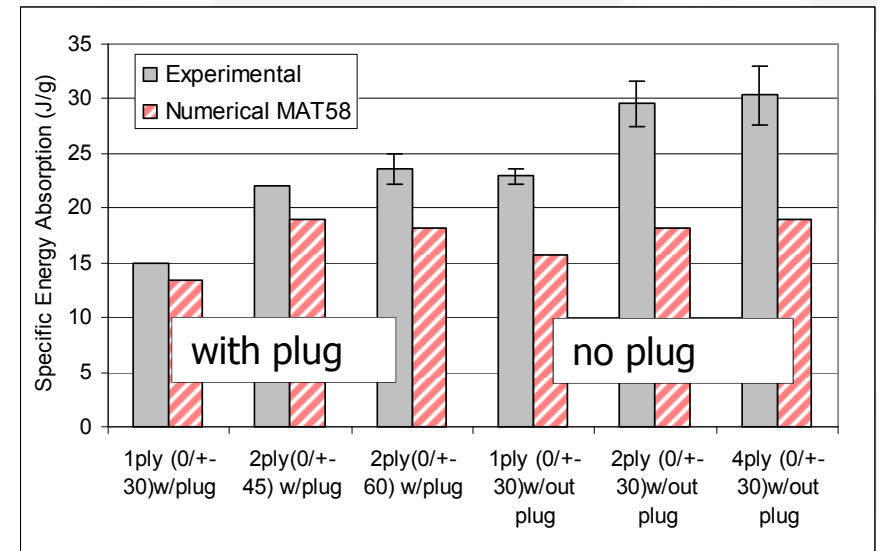
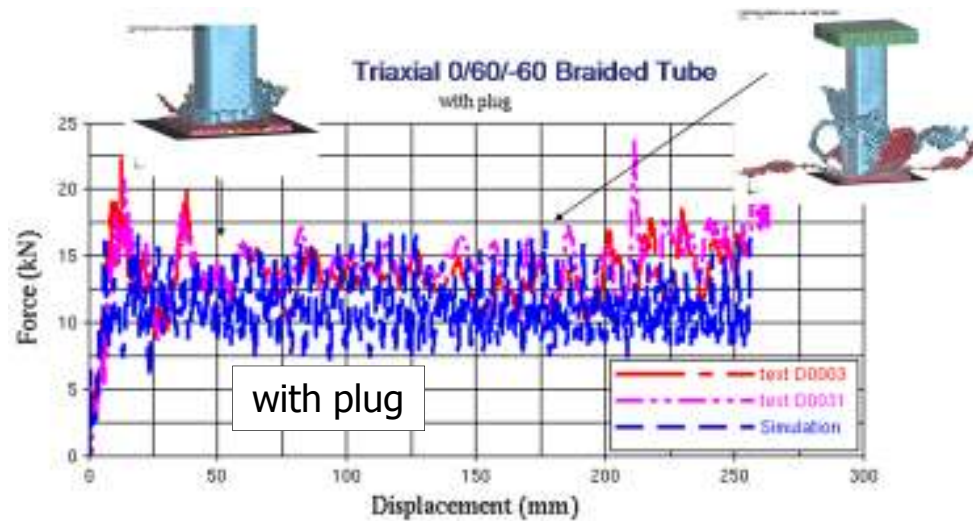
$$\sigma = \varepsilon E = \varepsilon E_0 (1 - d)$$

# Axial Crush Of Braided Carbon Composite Tubes



- Triaxial braided composite tubes,  $0/\pm 30$ ,  $0/\pm 45$ ,  $0/\pm 60$ , 1-ply, 2-ply, 4-ply
- The tube front edge with  $45^\circ$  chamfer
- Tested with or without a plug initiator
- Simulation with LS-DYNA, each ply was modeled with one layer of shell with MAT58. Delamination was modeled with contact tiebreak

# Simulation Of Axial Crush Of Braided Carbon Composite Tubes With MAT58 (MLT model<sup>1</sup>) in LS-DYNA



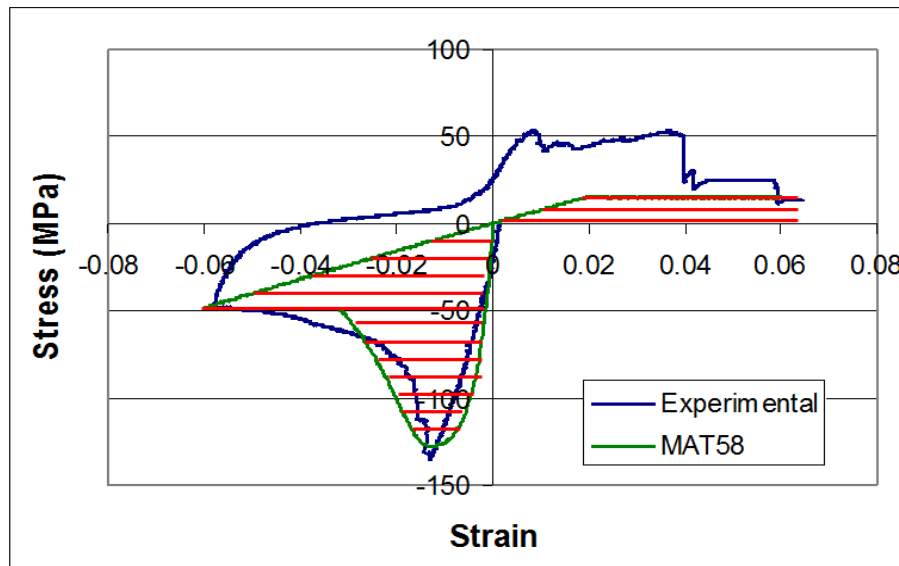
- With plug, underestimate SEA ~20%
- No plug, underestimate SEA~40%, instability

Xiao et al, ACC TR EM03-02, 2003

1-Matzenmiller, Lubliner, Taylor, Mech Mat. 1995

# Limitations of Continuum Damage Mechanics Models in Composite Crash Simulations

DeTerasa's compression experiment, 2001



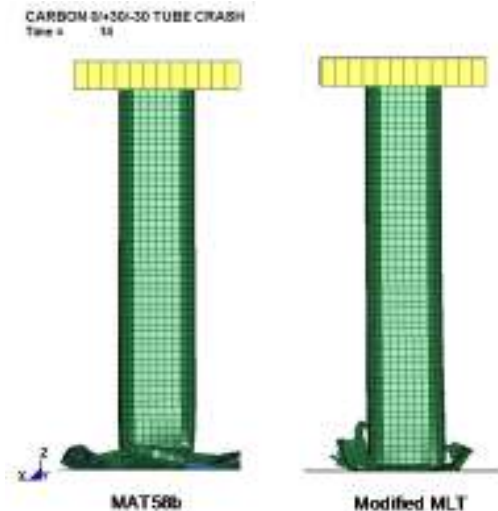
- CDM model cannot represent the unloading response of substantially damaged composites
  - Underestimate the total energy absorption
- The stiffness of the damaged composite modeled by CDM is much lower than experimental value
  - Tendency to instability

Xiao et al, Thin-walled Struct, 2009

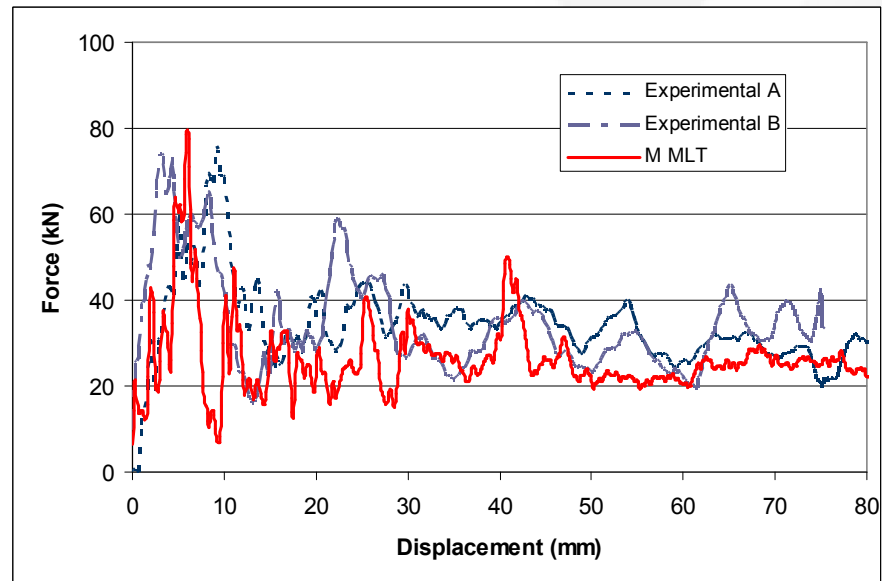
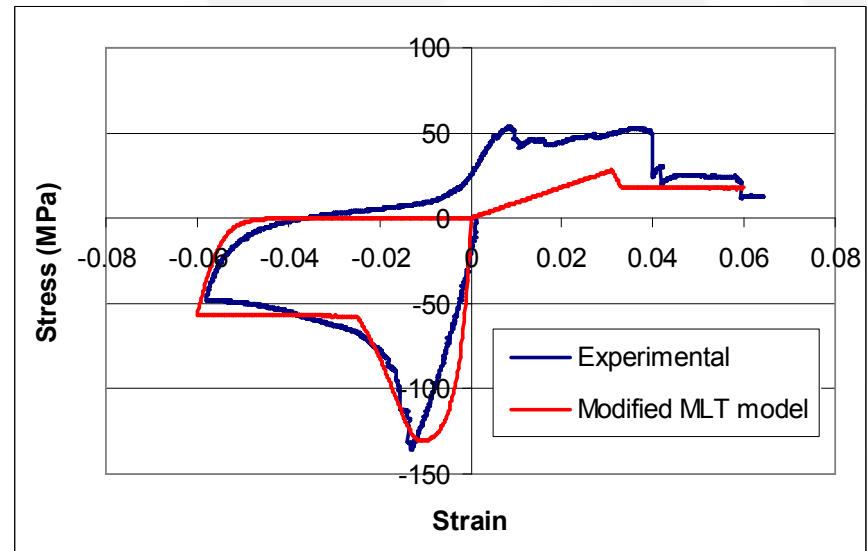
# Modification of MLT model (2007)

$$\varepsilon_p = \frac{\sigma_{\max}}{E_u}$$

$$\sigma_u = \frac{\sigma_{\max}}{\exp\left(-\frac{\varepsilon - \varepsilon_p}{\varepsilon_{\max} - \varepsilon_p}\right)}$$



Xiao, J Composite Materials, 2009.





# Coupled CDM-plasticity model and its implementation in LS-DYNA

## MLT model

loading surface - Hashin failure criteria with damage evolution

$$f_1 = \left[ \frac{\sigma_{11}}{(1 - \omega_{11t,c}) X_{t,c}} \right]^2 - r_1 = 0$$

$$f_2 = \left[ \frac{\sigma_{22}}{(1 - \omega_{22t,c}) Y_{t,c}} \right]^2 + \left[ \frac{\sigma_{12}}{(1 - \omega_{12}) S_c} \right]^2 - r_2 = 0$$

loading surfaces in strain space

$$g_1 = \boldsymbol{\varepsilon}^T G_1 \boldsymbol{\varepsilon} - r_1 = 0$$

$$g_2 = \boldsymbol{\varepsilon}^T G_2 \boldsymbol{\varepsilon} - r_2 = 0$$

$$G_1 = \left( \frac{E_1}{DX_{t,c}} \right)^2 \begin{bmatrix} 1 & (1 - \omega_{22}) \nu_{12} & 0 \\ (1 - \omega_{22}) \nu_{12} & (1 - \omega_{22})^2 \nu_{12}^2 & 0 \\ 0 & 0 & 0 \end{bmatrix}$$

$$G_2 = \left( \frac{E_2}{DY_{t,c}} \right)^2 \begin{bmatrix} (1 - \omega_{11})^2 \nu_{21}^2 & (1 - \omega_{11}) \nu_{21} & 0 \\ (1 - \omega_{11}) \nu_{21} & 1 & 0 \\ 0 & 0 & \left( \frac{DY_{t,c} G}{E_2 S_c} \right)^2 \end{bmatrix}$$

Matzenmiller et al, *Mech Materials*, 1995

## Coupled model

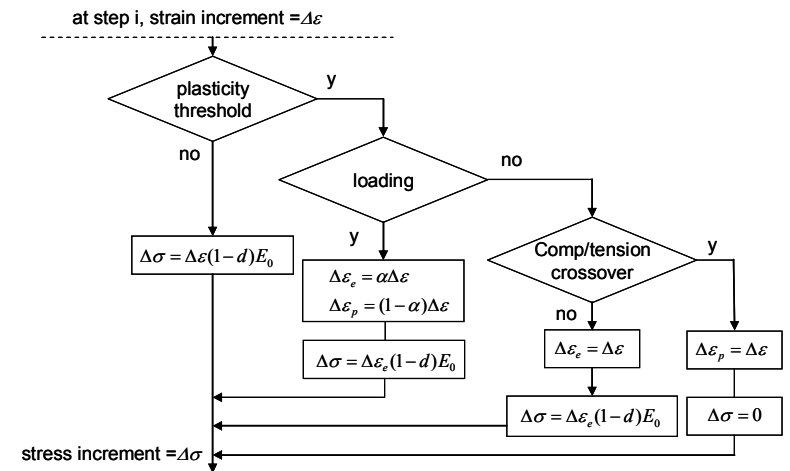
Plasticity onset at threshold strain

$$\boldsymbol{\varepsilon} \leq \boldsymbol{\varepsilon}_{0i}, \Delta \boldsymbol{\varepsilon}_i = \Delta \boldsymbol{\varepsilon}_{ei}$$

$$\boldsymbol{\varepsilon} > \boldsymbol{\varepsilon}_{0i}, \Delta \boldsymbol{\varepsilon} = \Delta \boldsymbol{\varepsilon}_{ei} + \Delta \boldsymbol{\varepsilon}_{pi}$$

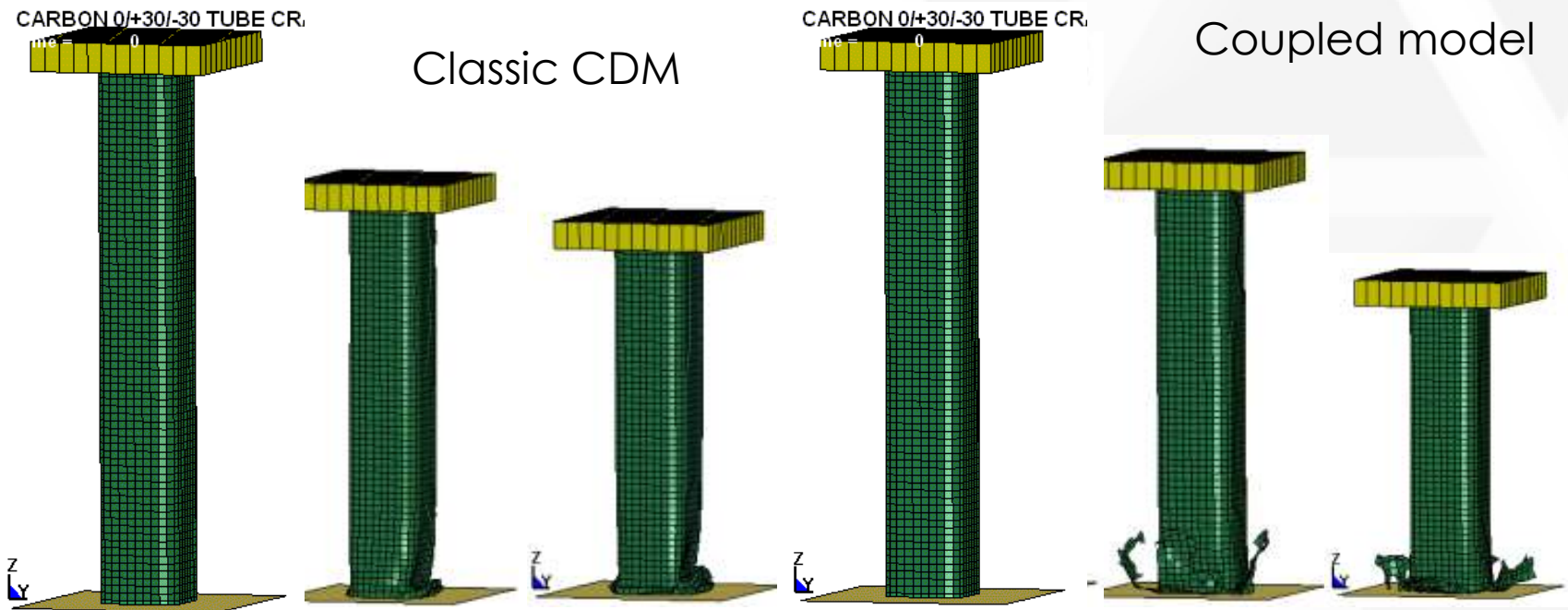
Stress increment

$$\Delta \sigma = \Delta \boldsymbol{\varepsilon}_e (1 - d) E_0 = \alpha \Delta \boldsymbol{\varepsilon} (1 - d) E_0$$



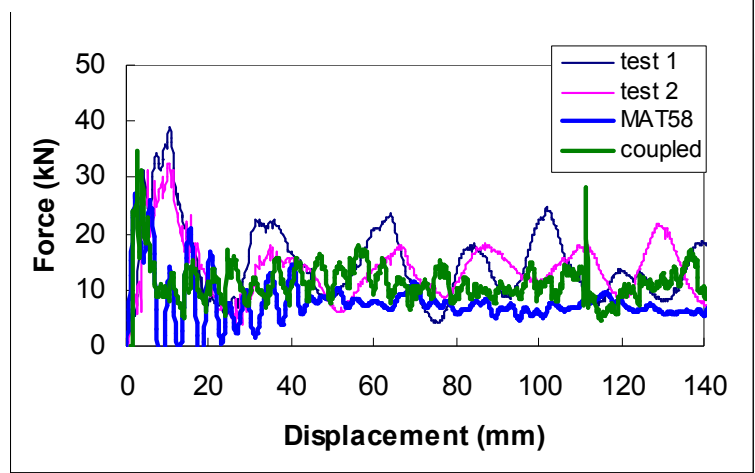
Xiao, *Int J Damage Mechanics*, 2010.

# A Coupled Damage-Plasticity Model for Composite Crash Simulations



Case 1 1-ply triaxially braided tube under axial impact

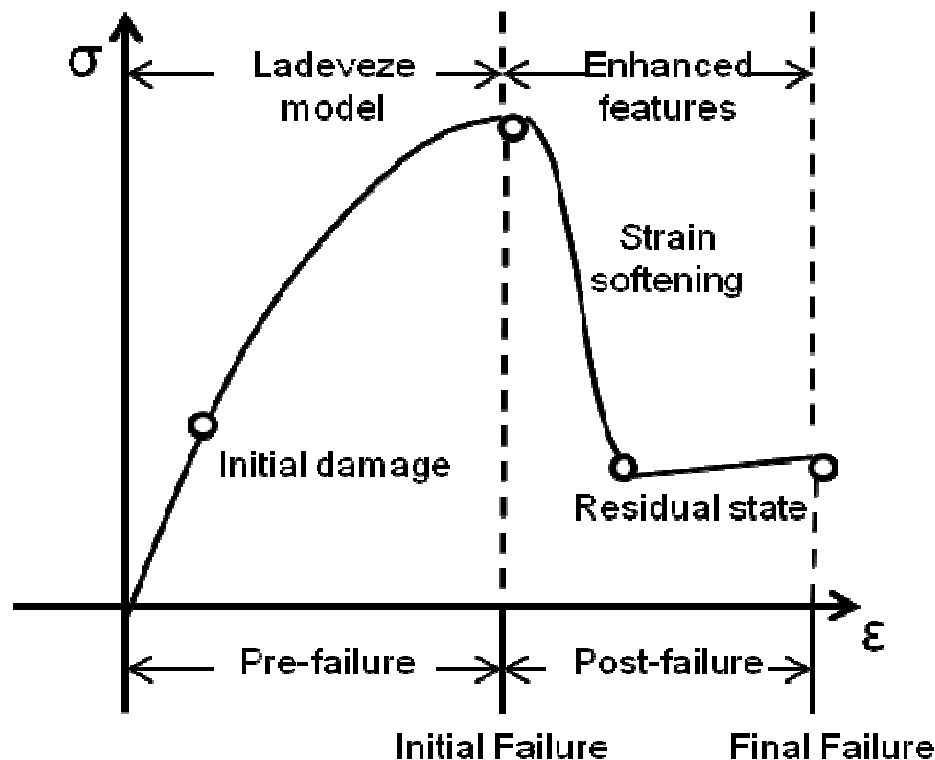
Xiao, Int J Damage Mechanics, 2010.



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# Enhanced Continuum Damage Mechanics Model

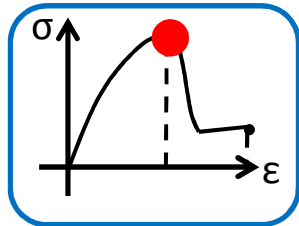


- The pre-failure and post-failure regions are described by two separate sub-models.
- A residual state is defined by either a residual stiffness or a residual strength.
- Implemented as LS-DYNA user material model

Danghe Shi, PhD thesis,  
Dec 2015.

# Enhanced Continuum Damage Mechanics Model

- Failure criteria

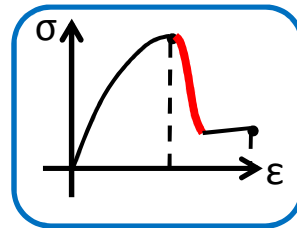
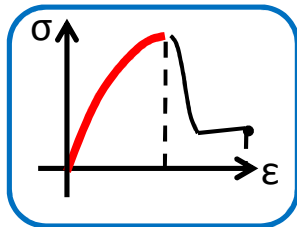


Axial direction: 
$$\left( \frac{\sigma_{11}}{X_{t,c}} \right)^2 - 1 \begin{cases} \geq 0 & \text{failure} \\ \leq 0 & \end{cases}$$

Transverse direction:

$$\left( \frac{\sigma_{22}}{Y_{t,c}} \right)^2 + \left( \frac{\sigma_{12}}{S} \right)^2 - 1 \begin{cases} \geq 0 & \text{failure} \\ \leq 0 & \end{cases}$$

- The pre-failure and post-failure regions are described by two separate sub-models.



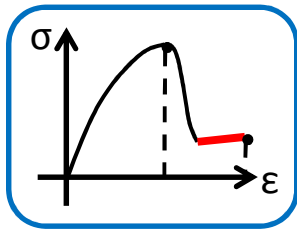
$$d = 1 + (d_f - 1)e^{\frac{1}{m} \left( 1 - \left( \frac{\epsilon}{\epsilon_f} \right)^m \right)}$$

$d \in (0, d_f)$  before initial failure

$d \in (d_f, 1)$  after initial failure

# Enhanced Continuum Damage Mechanics Model

- Residual property



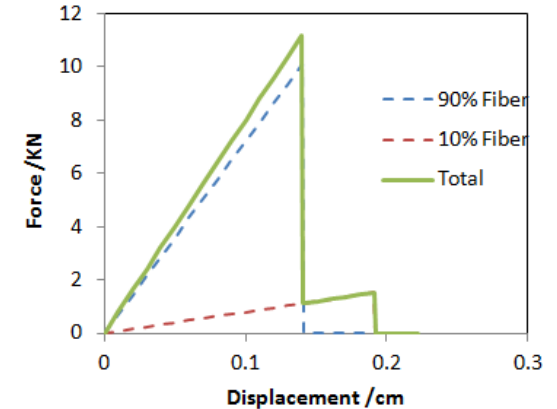
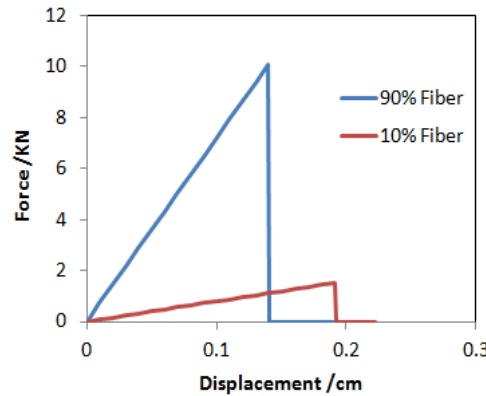
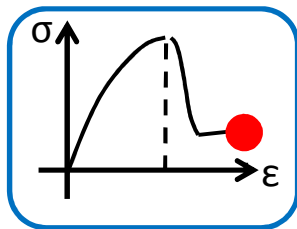
Constant strength:

$$d = \min\left(1 - \frac{\sigma_{residual}}{E \times \epsilon_e}, 1 + (d_f - 1)e^{\frac{1}{m}\left(1 - \left(\frac{\epsilon}{\epsilon_f}\right)^m\right)}\right)$$

Constant stiffness:

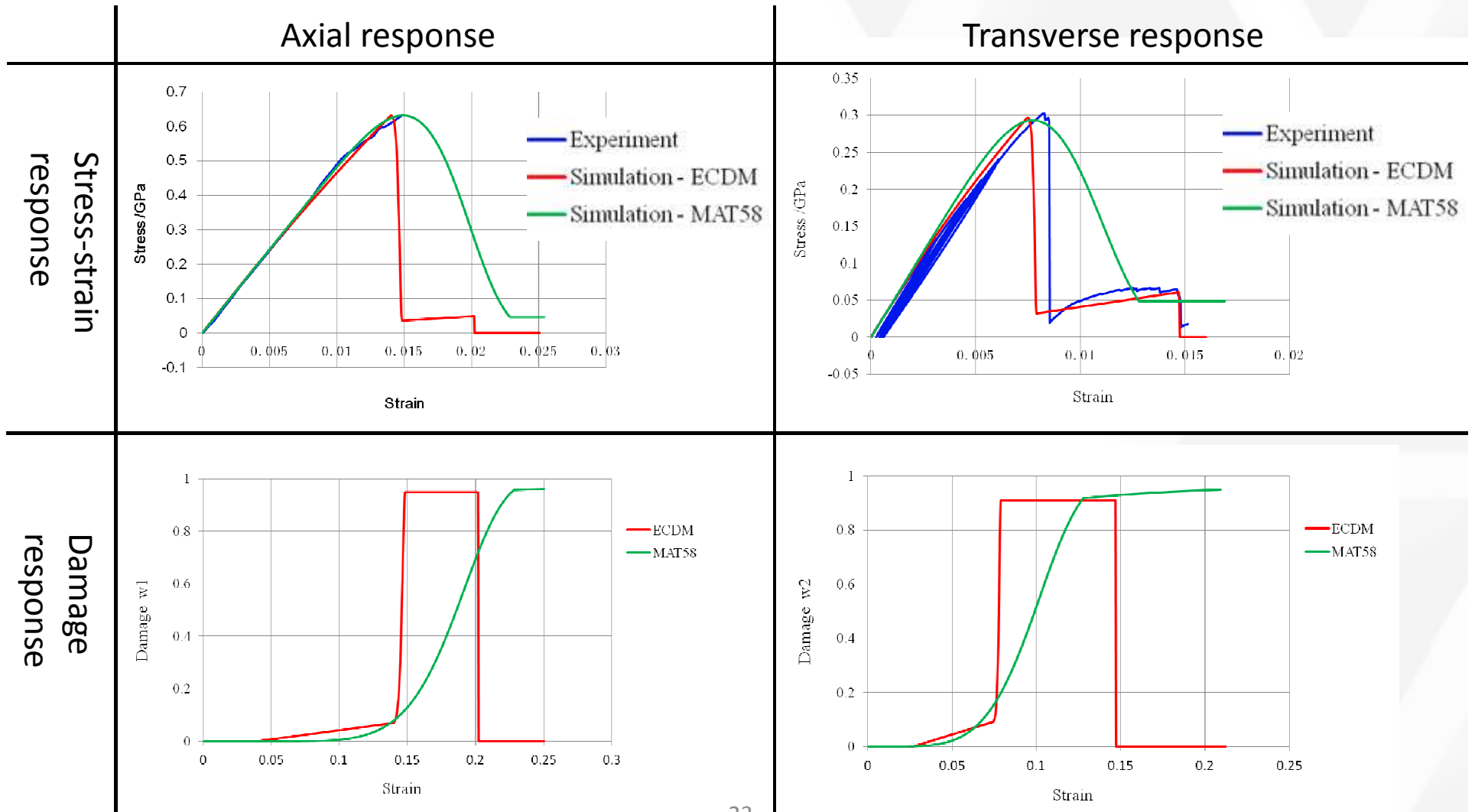
$$d = \max\left(d_{residual}, 1 + (d_f - 1)e^{\frac{1}{m}\left(1 - \left(\frac{\epsilon}{\epsilon_f}\right)^m\right)}\right)$$

- Element deletion



# ECDM vs. MAT58

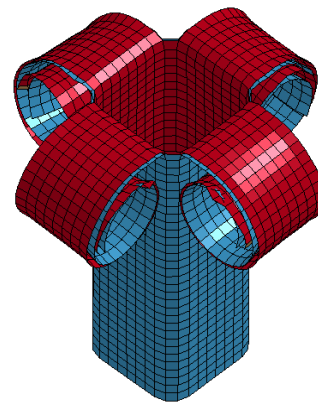
Quasi-static coupon testing of a braided composite



# ECDM vs. MAT58



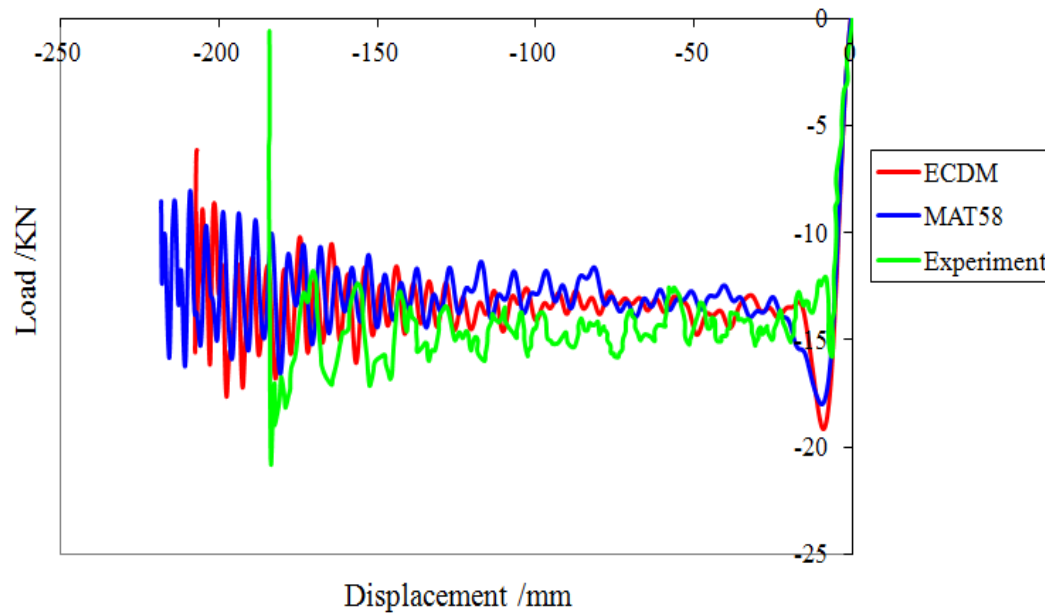
MAT58



ECDM



Experiment

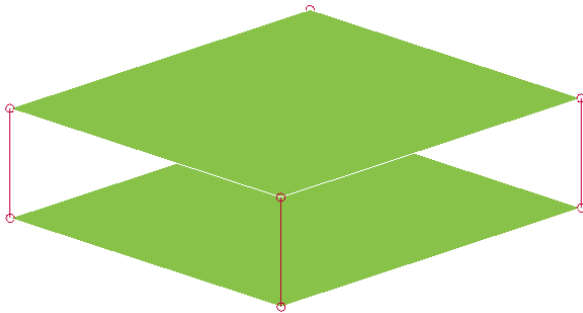


More realistic crush front morphology

Slightly better Force-Displacement responses



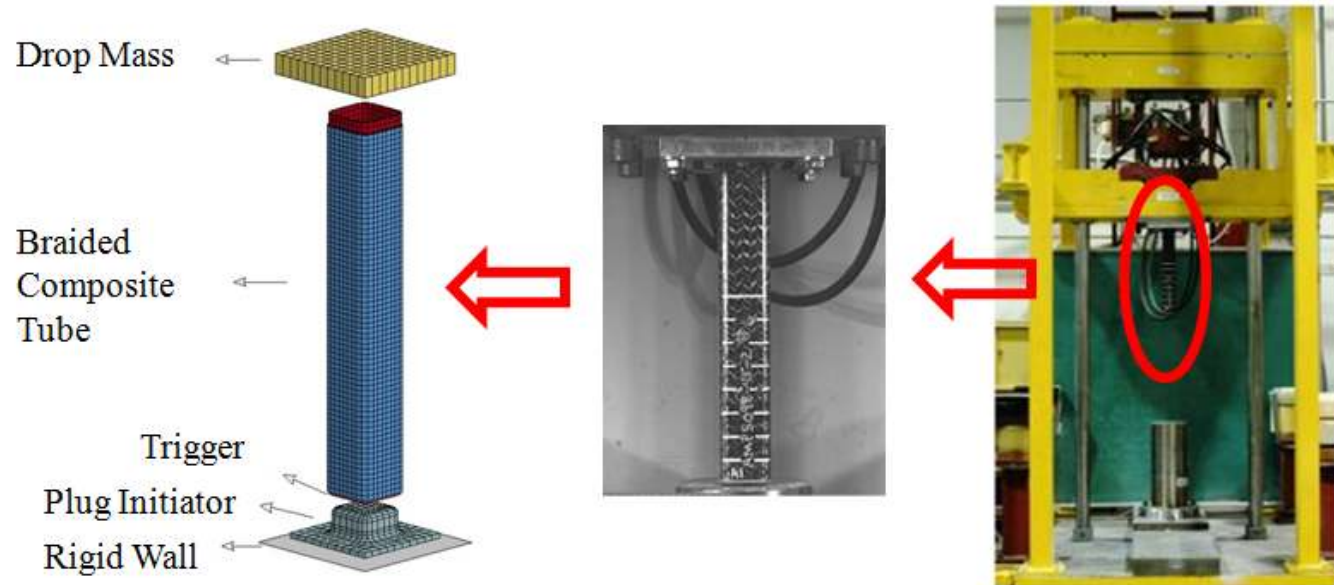
# A Shell-Beam Modeling Method for Crash Simulation of Thin-Walled Composite Tubes



- A shell-beam element consists of 2 shell elements and 4 beam elements.
- A composite layer is represented by a shell-beam element.
- The shell-beam element is as stable as the solid element but much more efficient.

Element type	Plate model	1. $V=5\text{m/s}$ $f=0.34$	2. $V=4.8\text{m/s}$ $f=0.34$	3. $V=4.8\text{m/s}$ $f=0.32$
Shell				

# Evaluation of the ECDM Model



- Triaxial braided composite tubes,  $[0/\pm 45]$  braid architecture, 5 configurations
- The crash front edge was machined with  $45^\circ$  chamfer
- Tested with or without a plug initiator
- Tubes were modeled with four-node fully integrated shell elements
- Each ply was modeled with one layer of shell
- \*CONTACT\_AUTOMATIC\_ONE\_WAY\_SURFACE\_TO\_SURFACE\_TIEBREAK

# Simulations and Predictions: 2×2" [0/±45] Tubes

ECDM + Shell-beam

Correlated



2×2" [0/±45]<sub>2</sub> with plug



2×2" [0/±45]<sub>4</sub> with plug

Predicted



2×2" [0/±45]<sub>4</sub> without plug

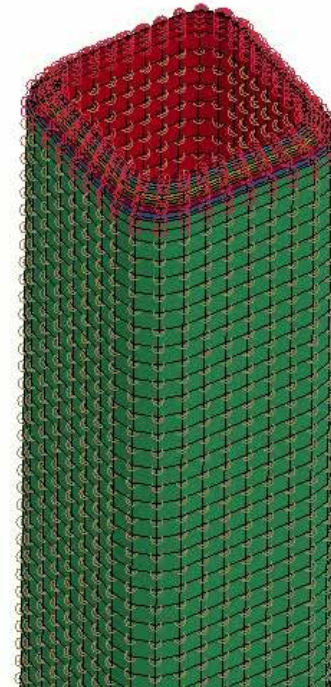
# Simulations 2×2" [0/±45] Tubes

2×2" [0/±45]<sub>4</sub> with plug

2×2" [0/±45]<sub>4</sub> without plug

2x2-4layer - 5mm  
Time = 0

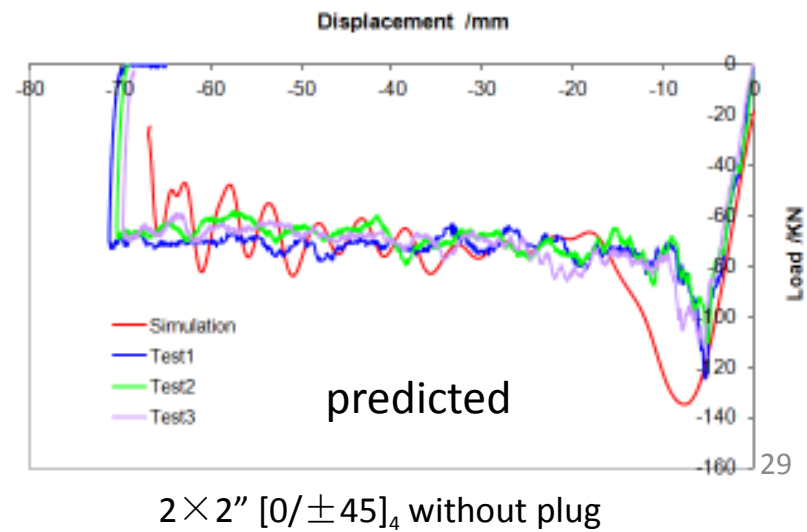
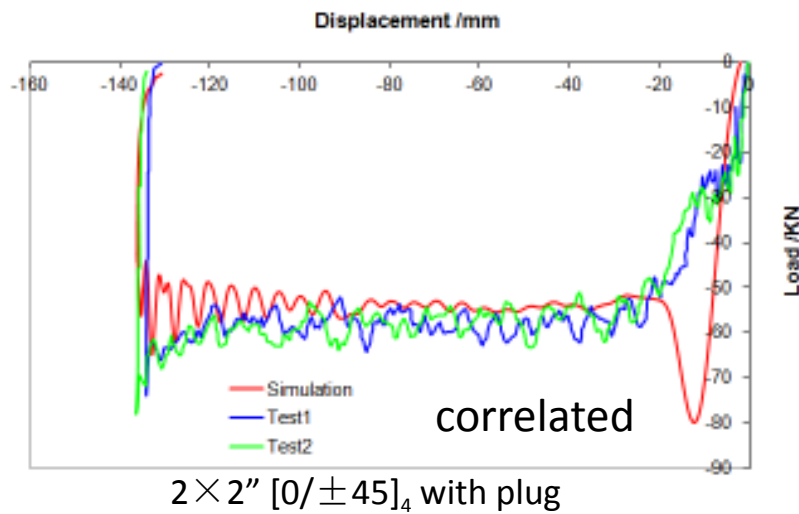
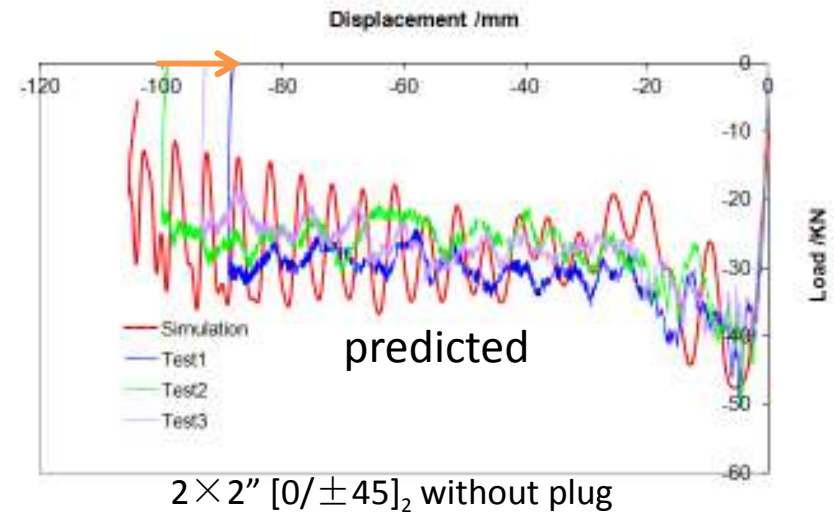
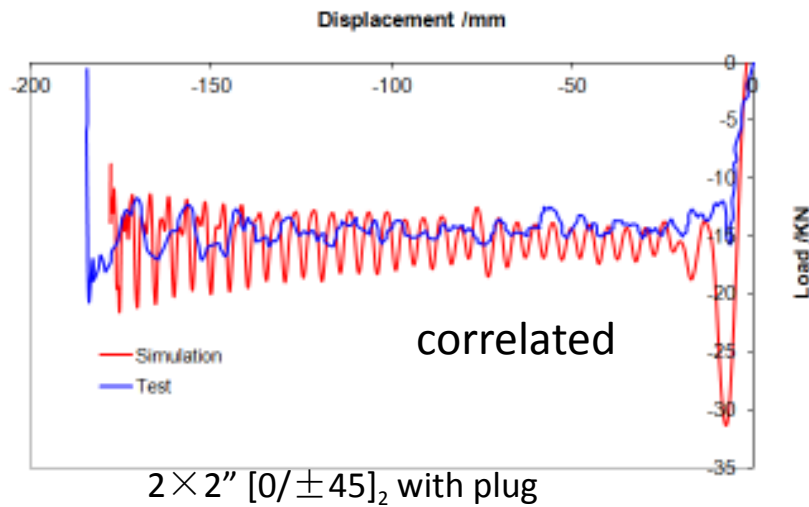
2x2-4layer - 5mm  
Time = 0



# Simulations and Predictions: 2x2" [0/±45] Tubes

ECDM + Shell-beam

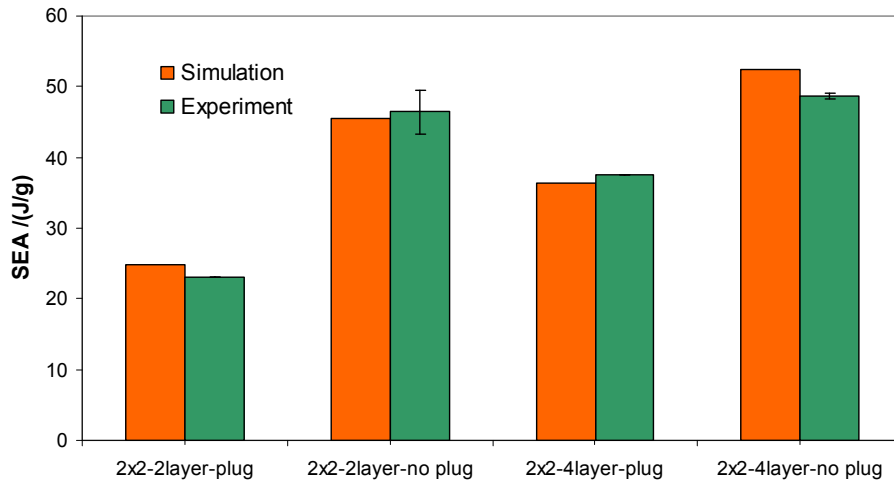
Force-displacement response



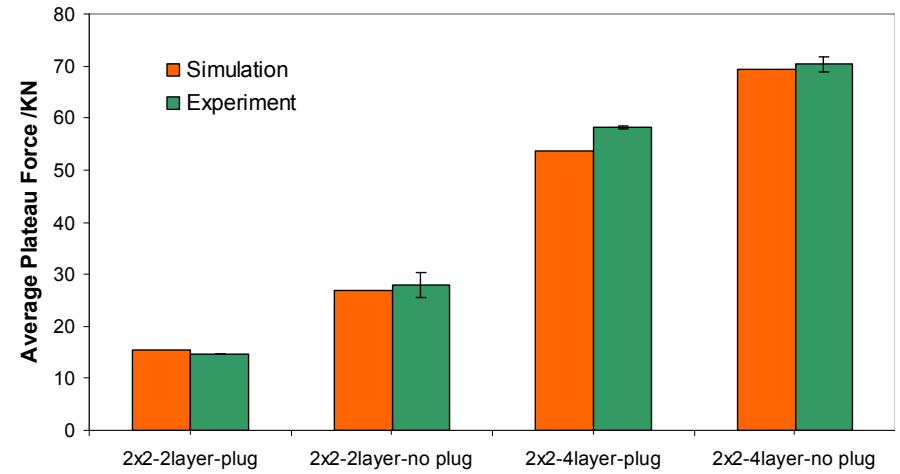
# Simulations and Predictions: 2×2" [0/±45] Tubes

## ECDM + Shell-beam

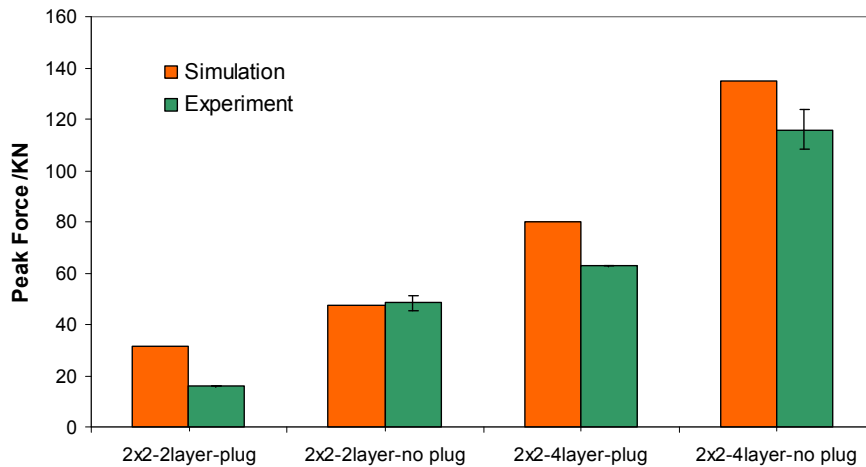
### SEA



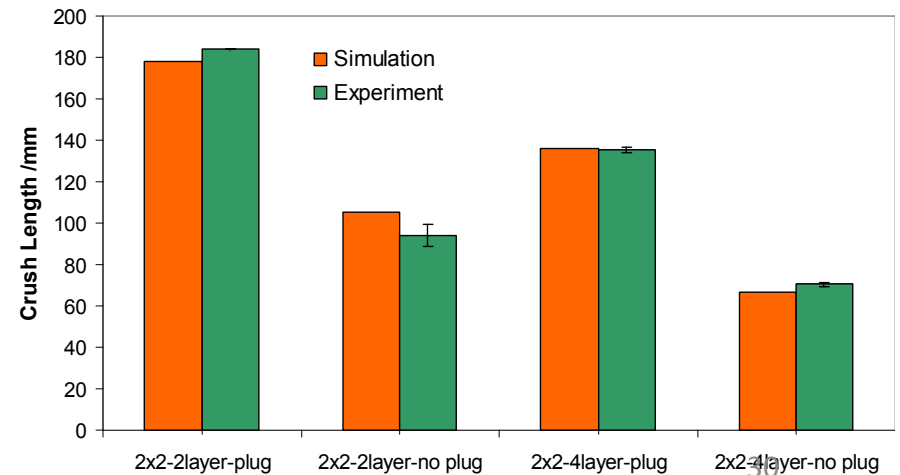
### Average plateau force



### Peak force



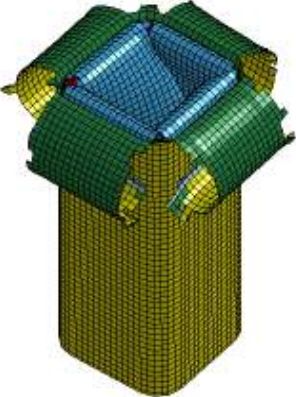
### Crush length



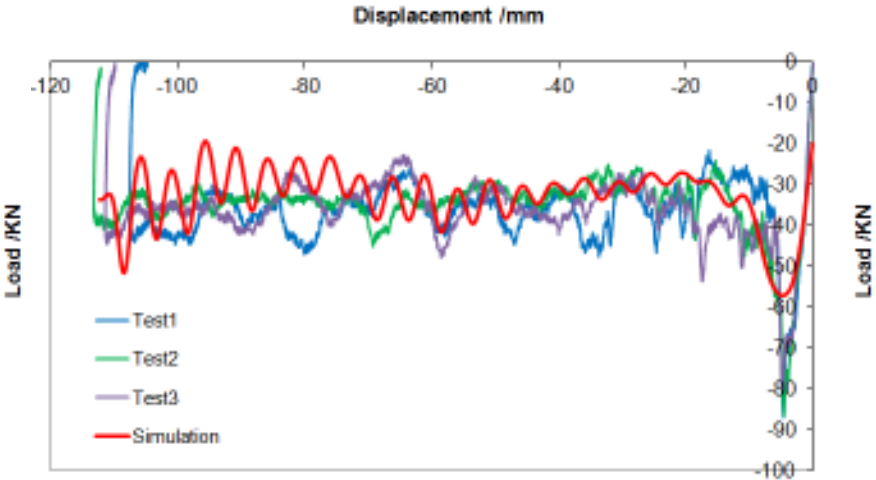
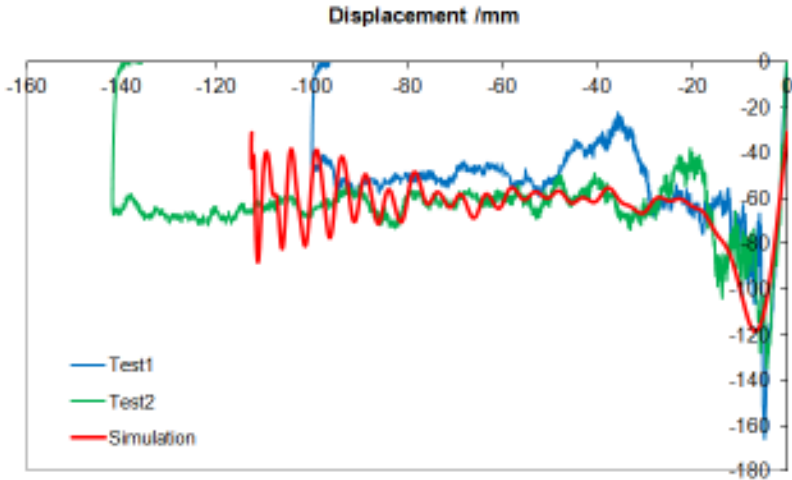
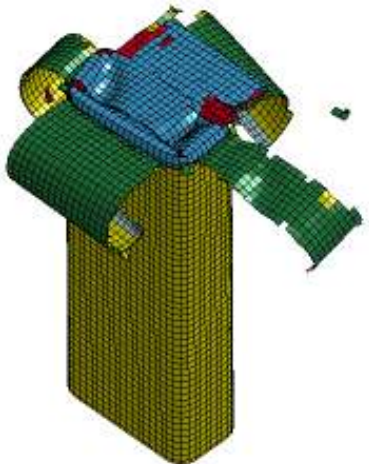
# Predictions of Other Tube Geometries

ECDM + Shell-beam

4 × 4" [0/±45]<sub>2</sub>

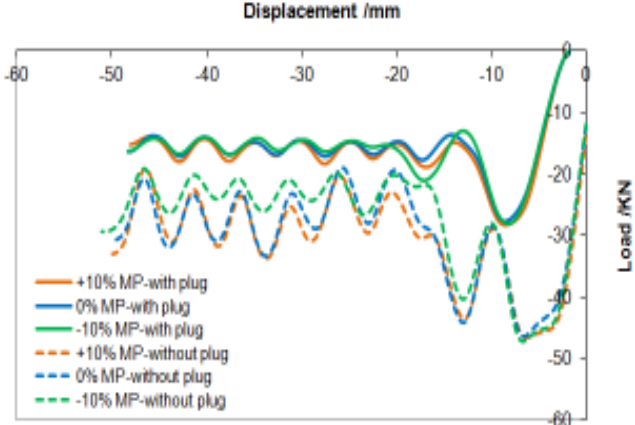
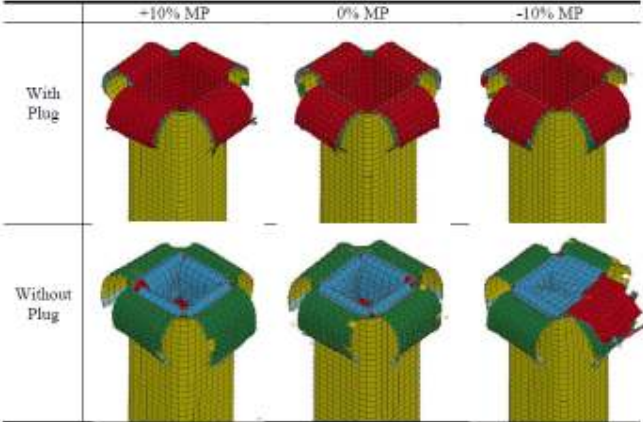
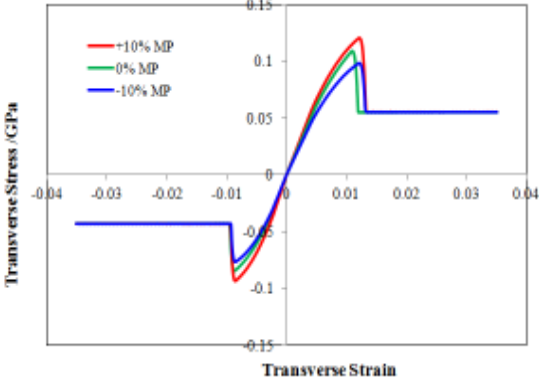


2 × 4" [0/±45]<sub>2</sub>

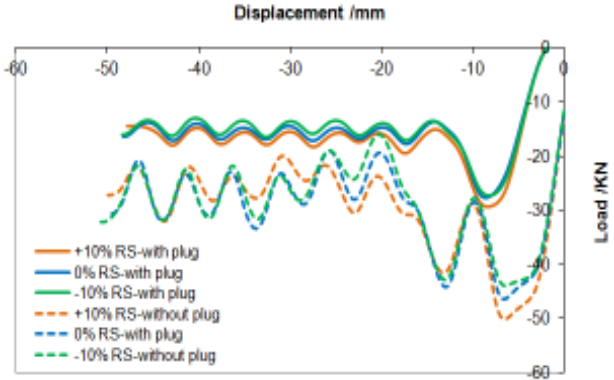
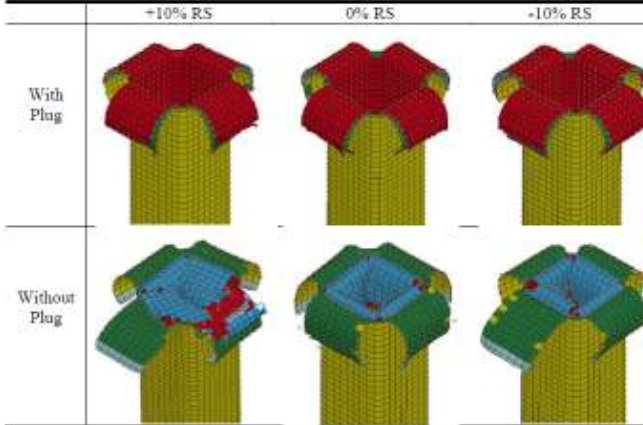
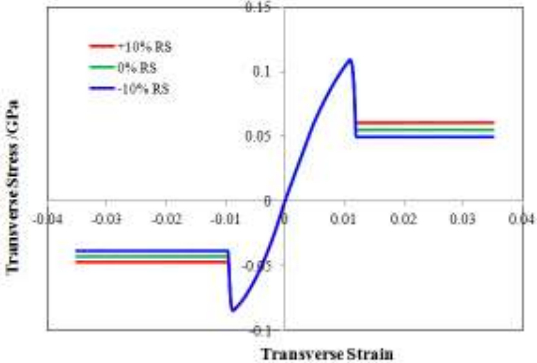


# Sensitivity Study

Material properties  $\pm 10\%$



Residual strengths  $\pm 10\%$





# Conclusions and Outlook

Can we predict the crashworthiness performance of composite structures?

- Body panels ✓
- Primary energy absorbing structures
  - Solid progress has been made towards a robust crash model.
  - The stability of the simulations is improved by
    - Composite model with proper post-failure response, particularly the irreversible strain.
    - A shell-beam element method
  - The predicted response and morphology are close to experiment.

# Conclusions and Outlook

- Further investigations
  - Examine more load cases: off-axis angles
  - Other composite materials
- Based on a stable framework, further developments
  - Failure criteria
  - Damage laws
  - Damage interaction
  - Experimental methods to characterize damage parameters.
  - Local microstructure
  - Strain rate
- Including meso-, micro-structure effects

# Acknowledgement

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Reza Vaziri, Carla McGregor, Anoush Poursartip (UBC)

Karl Schweizerhof (Dynamore)

Dilip Bhalsod, Isheng Yih (LSTC)

Jackie Rehkopf (Plasan)



**Thank You!**